

# Mysteries of the large-angle microwave sky

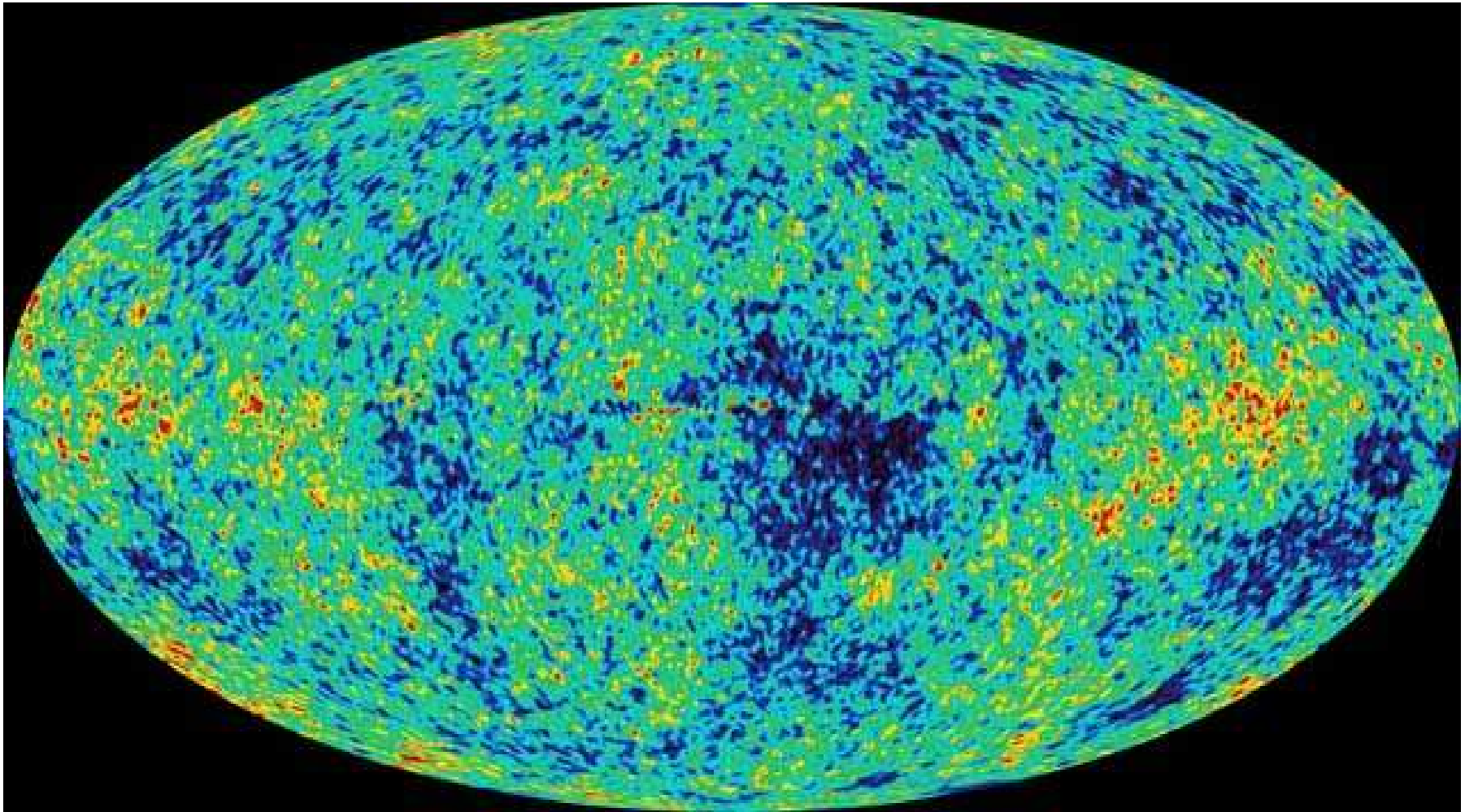
Dragan Huterer

University of Chicago

Collaborators:

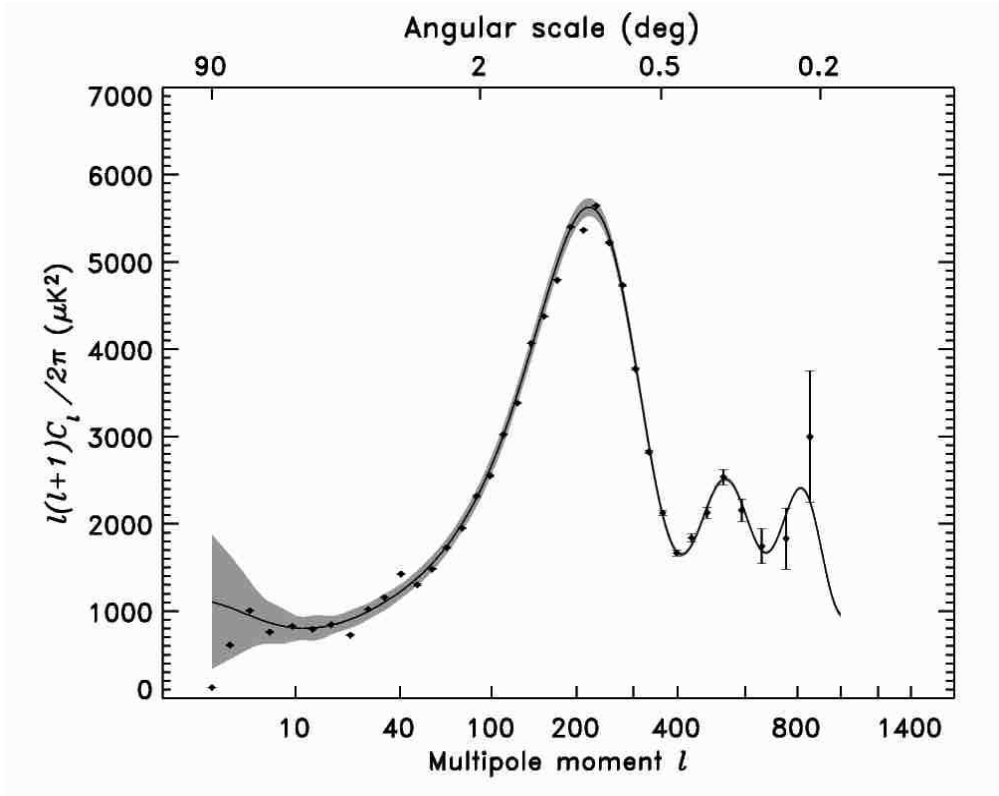
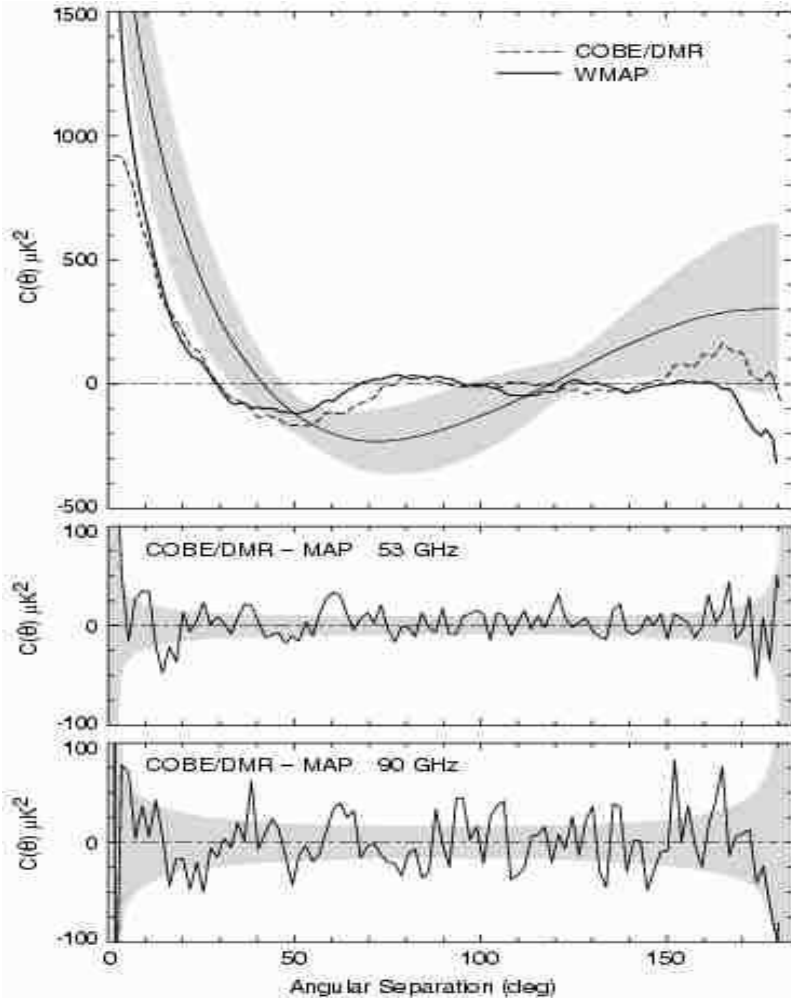
Craig Copi, Glenn Starkman (CWRU), Dominik Schwarz (Bielefeld)  
Chris Gordon, Wayne Hu, Tom Crawford (Chicago)

# WMAP ILC map



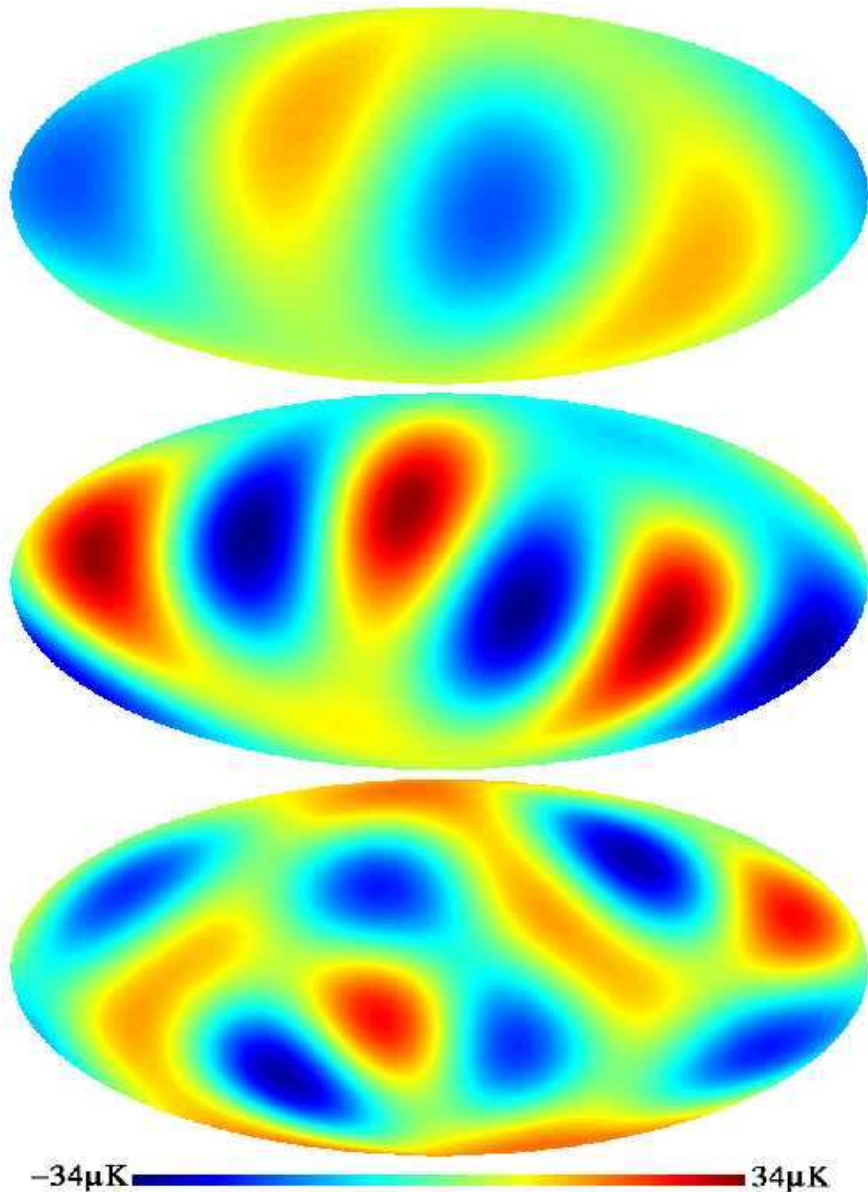
Bennett et al. 2003

# Lack of power at $\theta > 60$ deg



Bennett et al. 2003

# $l = 2, 3$ are aligned and planar



Tegmark et al. 2003

# Multipole Vectors

Spherical Harmonics:

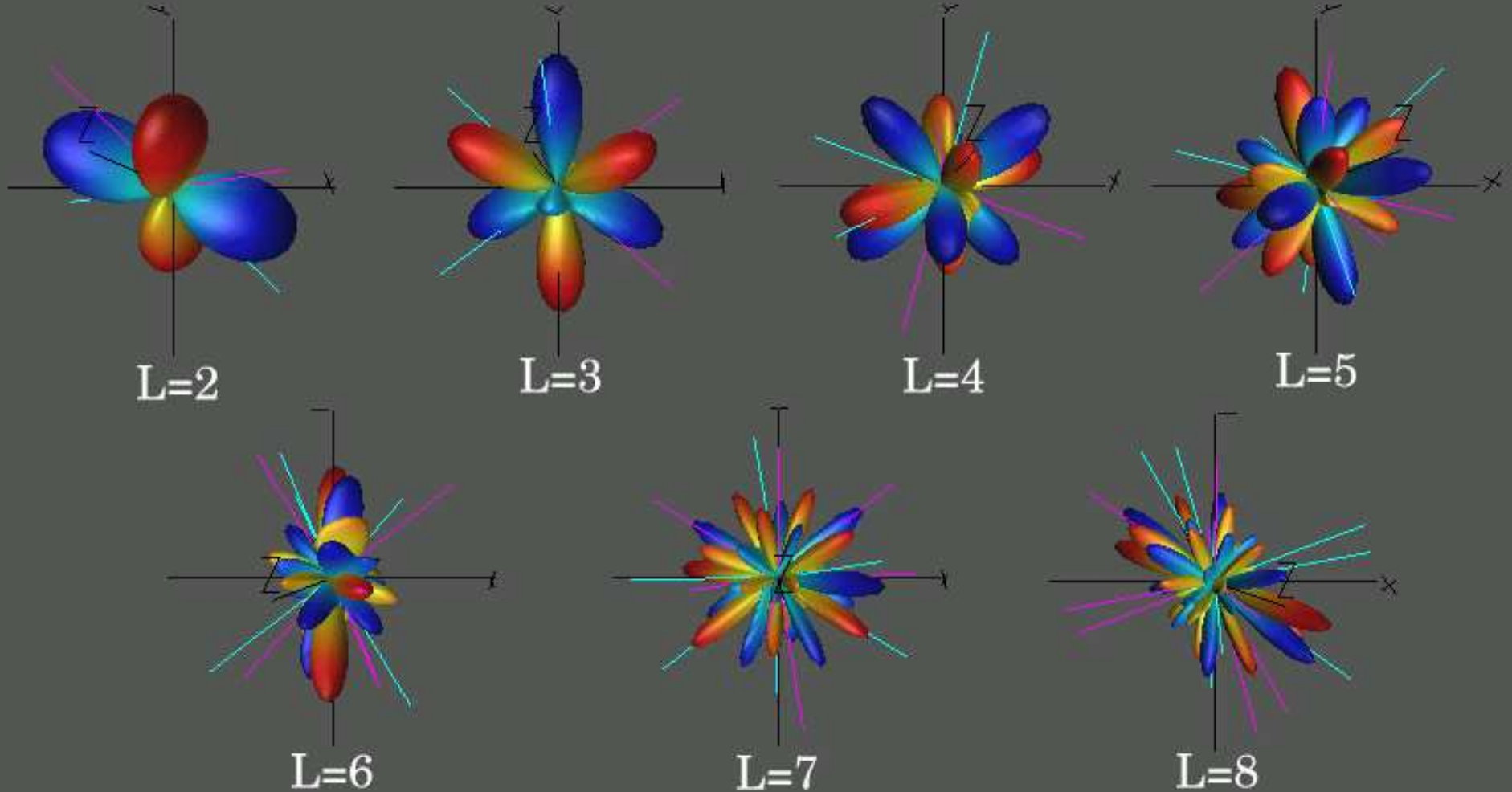
$$\frac{\delta T}{T}(\theta, \phi) = \sum_{l,m} a_{lm} Y_{lm}(\theta, \phi), \quad C_\ell \equiv \frac{1}{2\ell + 1} \sum_{m=-\ell}^{\ell} |a_{\ell m}|^2$$

Multipole Vectors:

$$\sum_{m=-\ell}^{\ell} a_{lm} Y_{lm}(\theta, \phi) = A^{(\ell)} \left( \mathbf{v}_1^{(\ell)} \cdot \mathbf{e} \right) \cdots \left( \mathbf{v}_\ell^{(\ell)} \cdot \mathbf{e} \right)$$
$$\text{“} a_{i_1 \dots i_\ell}^{(\ell)} \leftrightarrow A^{(\ell)} \left[ \mathbf{v}_1^{(\ell)} \otimes \mathbf{v}_2^{(\ell)} \otimes \cdots \mathbf{v}_\ell^{(\ell)} \right]\text{”}$$

Copi, Huterer & Starkman, 2004

# Multipole Vectors of our sky



# Normals to multipole vectors

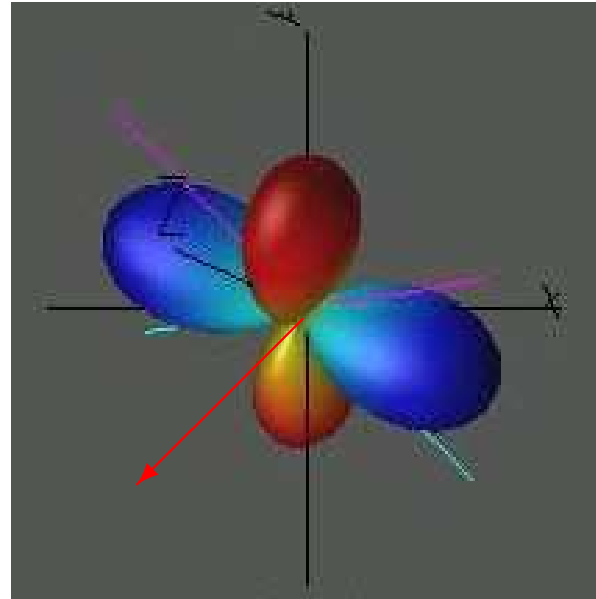
$$\mathbf{w}_{ij}^{(\ell)} \equiv \pm \left( \mathbf{v}_i^{(\ell)} \times \mathbf{v}_j^{(\ell)} \right)$$

$$\mathbf{w}_{12}^{(\ell=2)}$$

$$\mathbf{w}_{12}^{(\ell=3)}$$

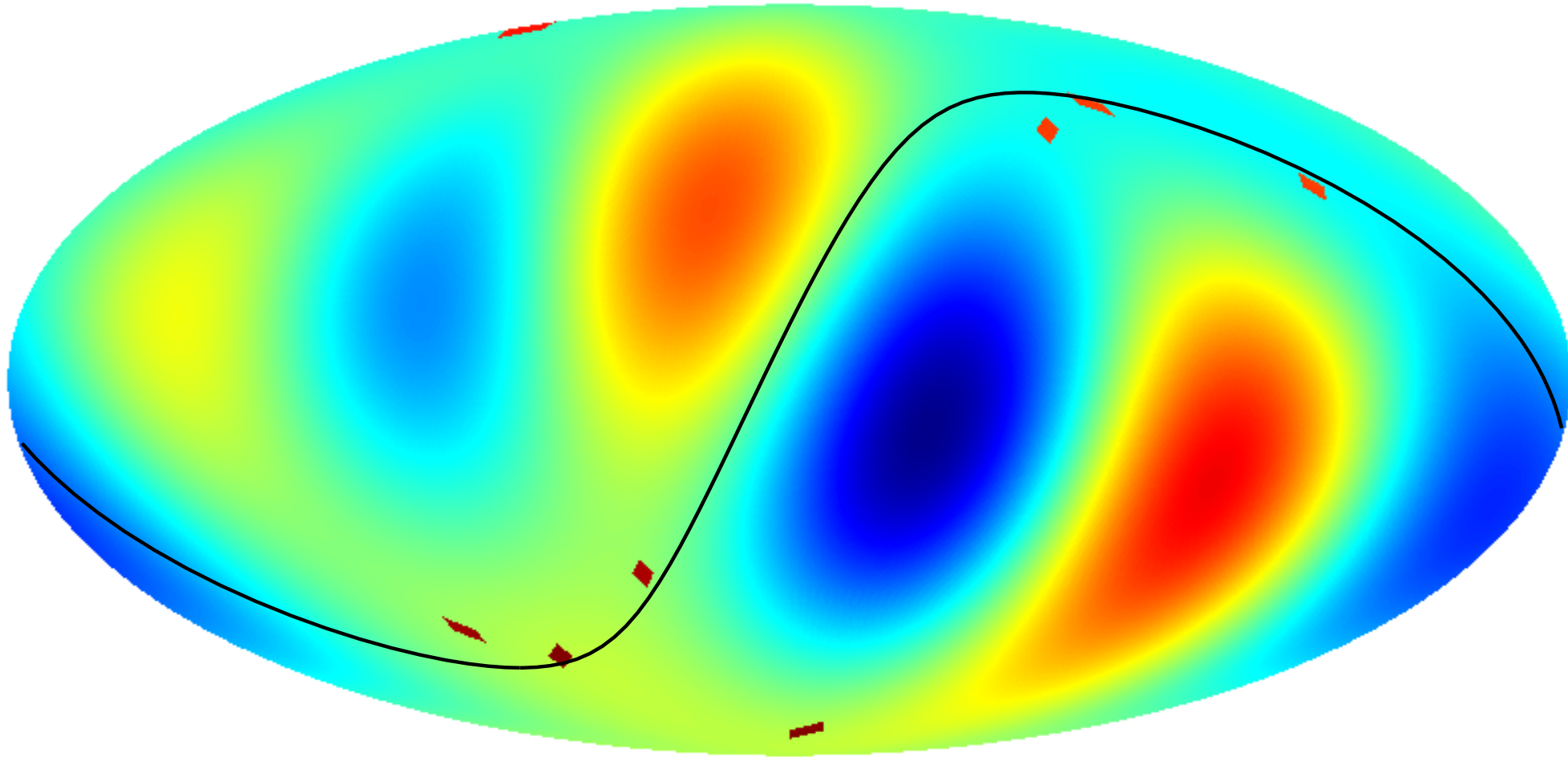
$$\mathbf{w}_{23}^{(\ell=3)}$$

$$\mathbf{w}_{31}^{(\ell=3)}$$



# (Quad + Oct) map and the ecliptic plane

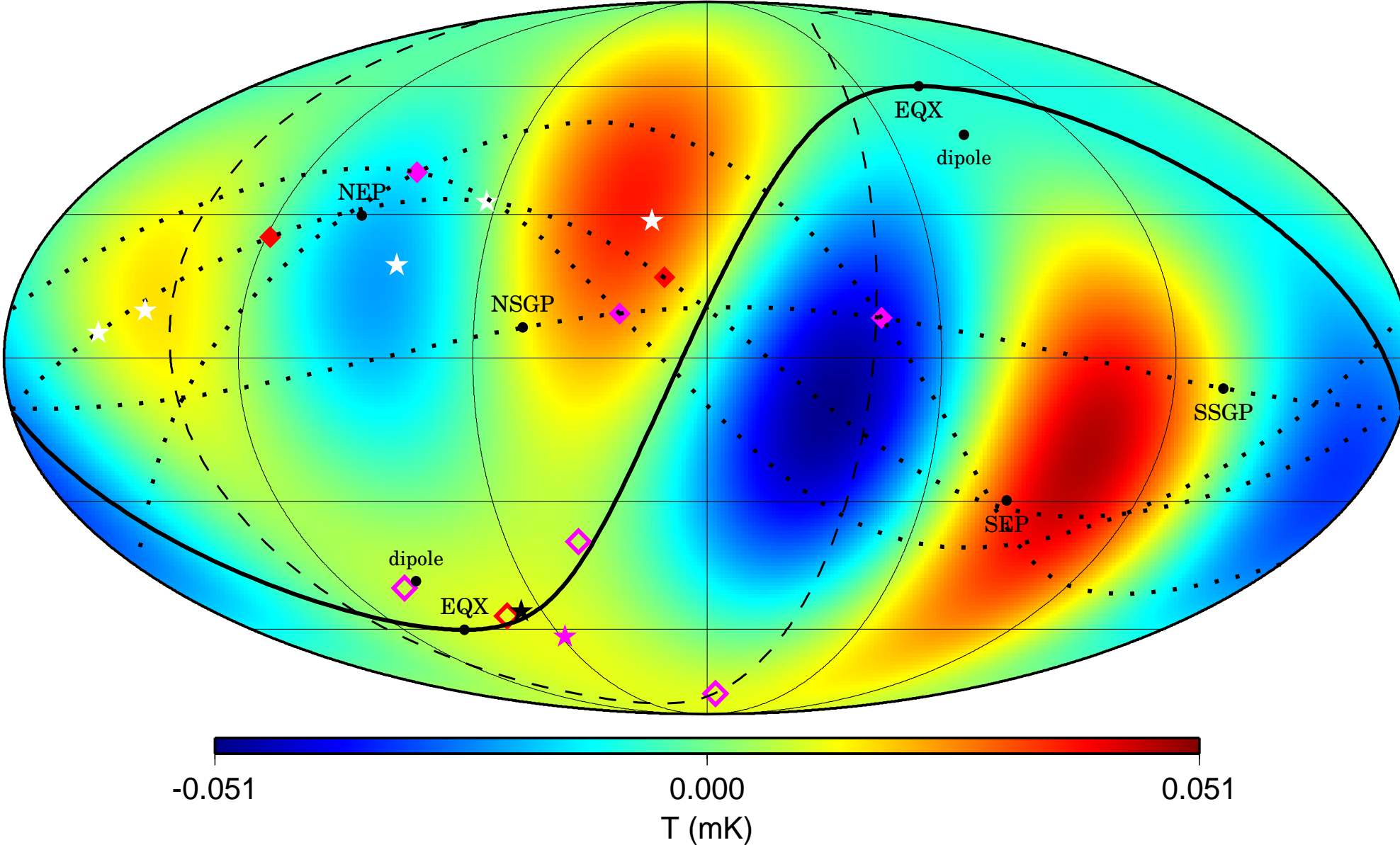
WMAP Quadrupole and Octopole



Schwarz, Starkman, Huterer and Copi, PRL 2005



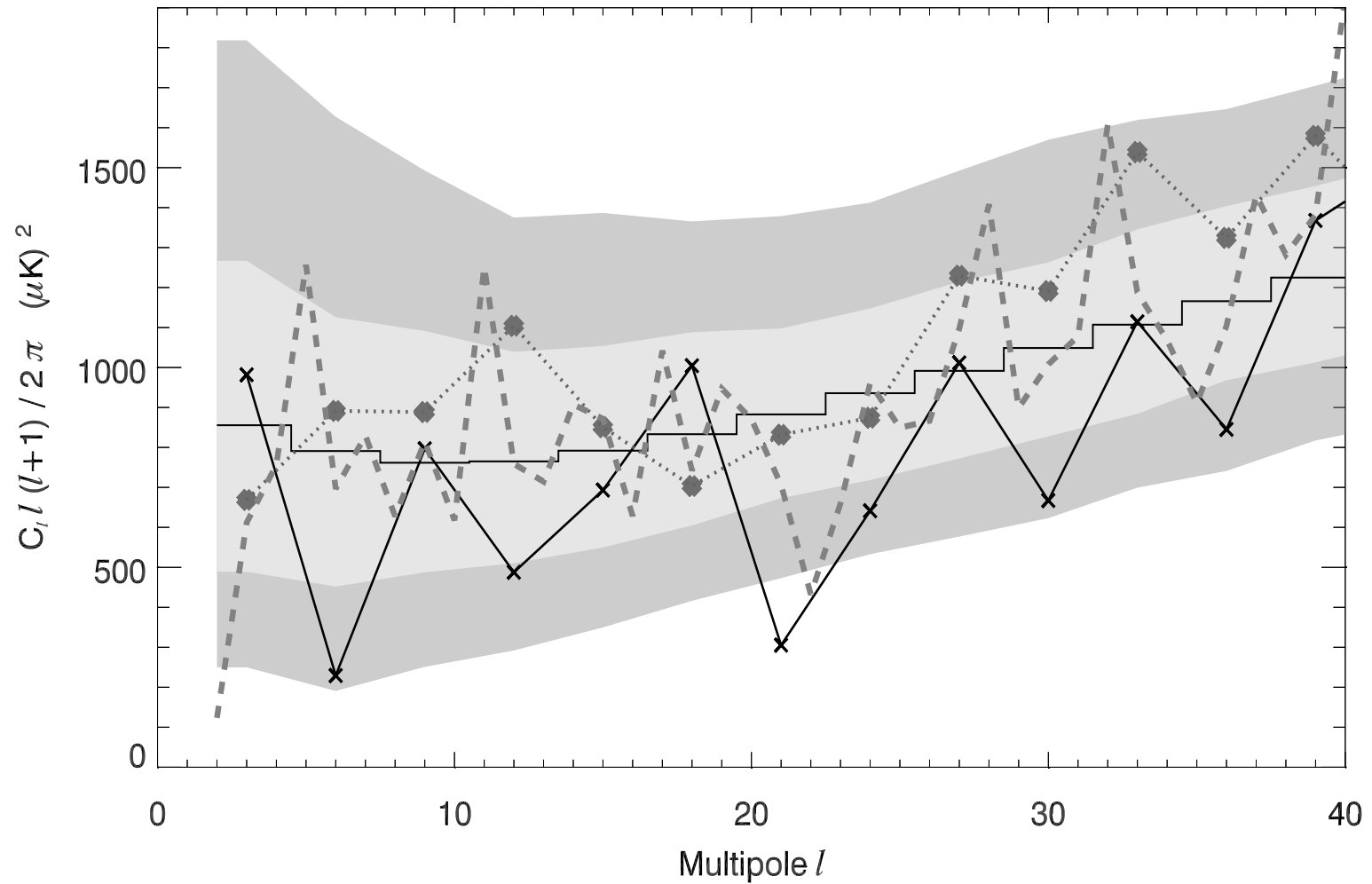
# (Quad + Oct) map and the ecliptic plane



# Found: unexpected alignments

- The four oriented area normals  $\mathbf{w}_{ij}^{(\ell)} \equiv \pm \left( \mathbf{v}_i^{(\ell)} \times \mathbf{v}_j^{(\ell)} \right)$  for  $\ell = 2, 3$  are mutually close (99.7-99.9% CL)
- $\mathbf{w}_{ij}^{(\ell)}$  lie close to the ecliptic plane (99% CL)
- $\mathbf{w}_{ij}^{(\ell)}$  are aligned to the dipole and to the equinoxes (99.9% CL)
- Ecliptic plane carefully separates stronger from weaker extrema, running between a maximum and a minimum over most of the sky (93% - 99.6% CL)

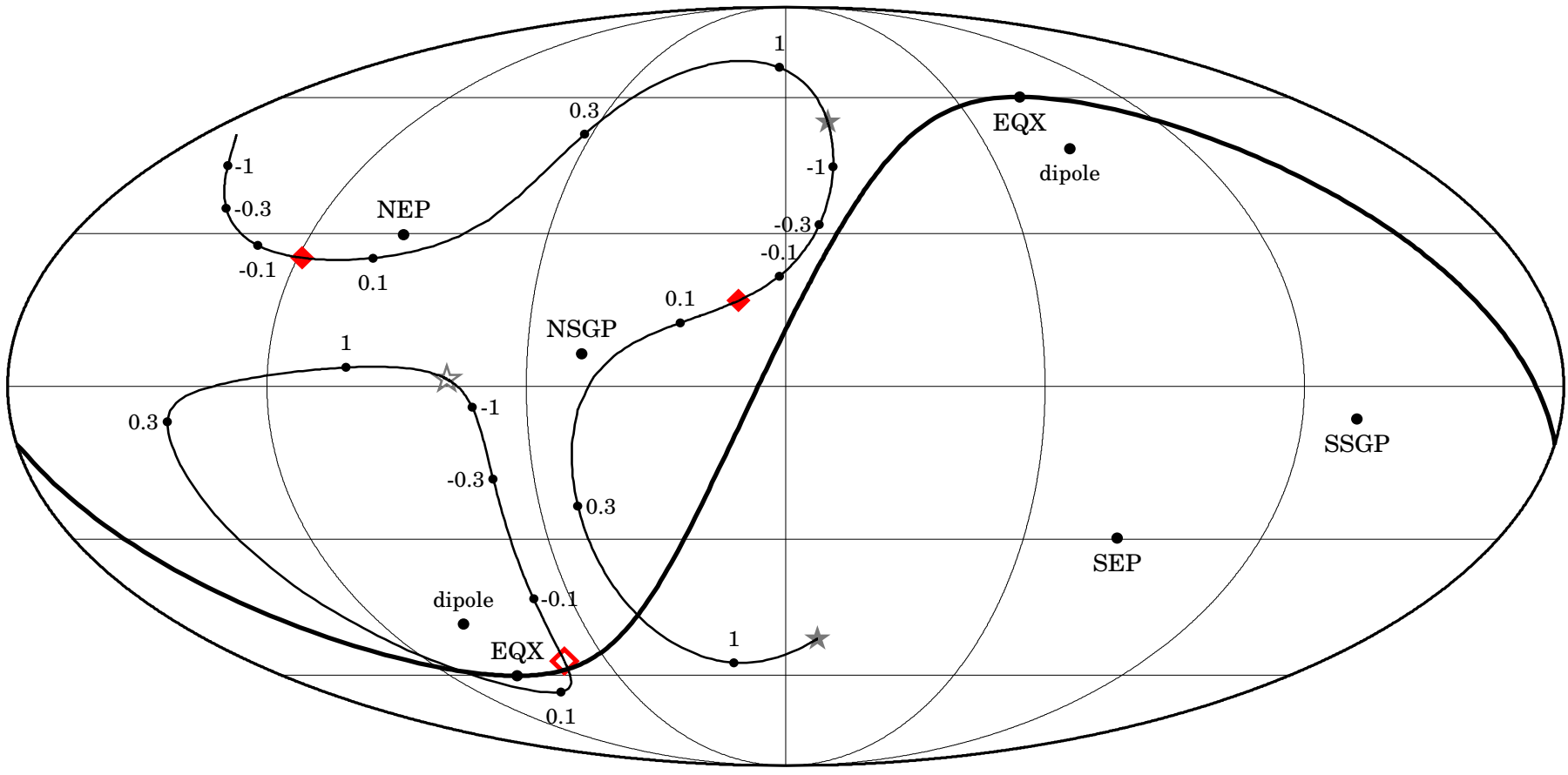
# N/S power asymmetry



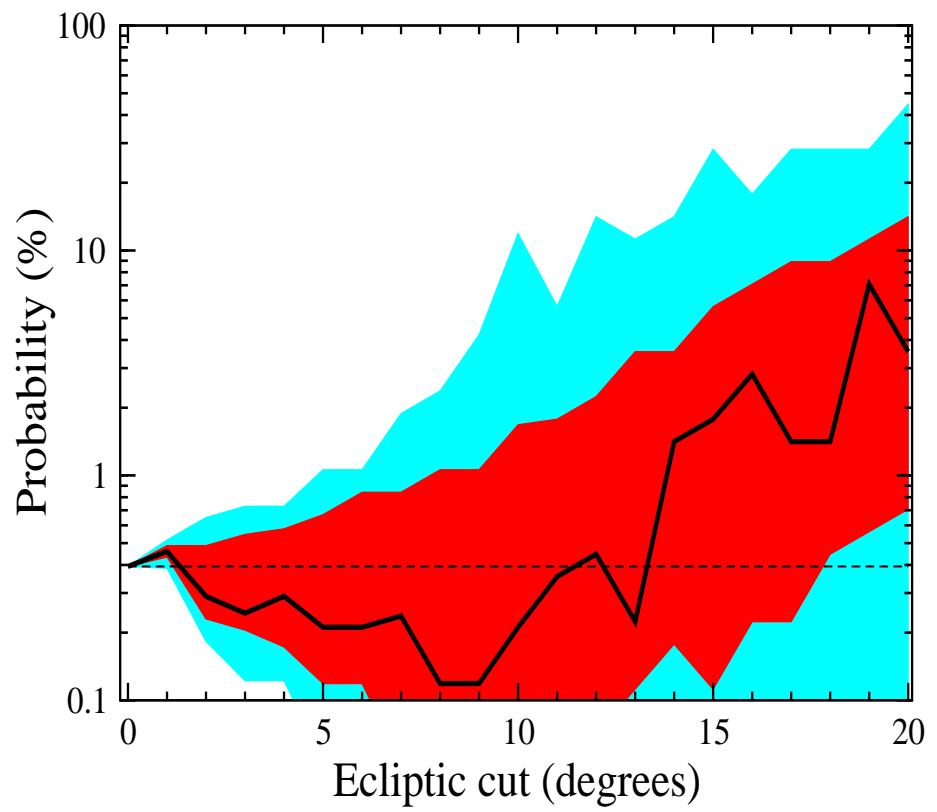
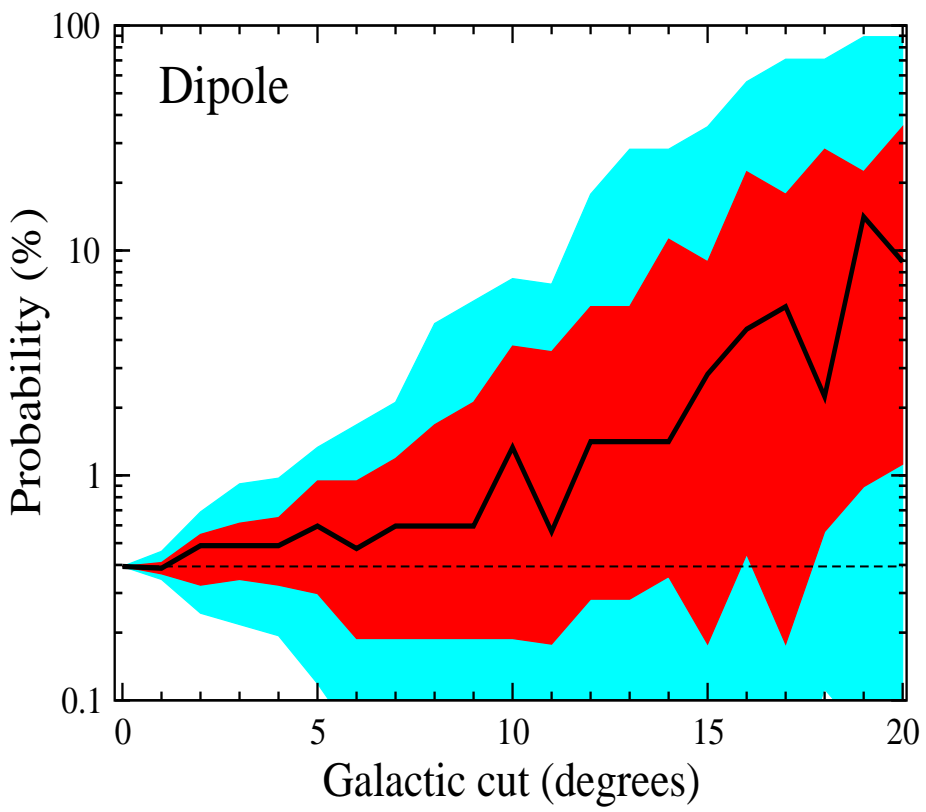
Eriksen et al. 2004; Hansen, Banday & Gorski, 2004

# Systematic checks: foreground missubtraction

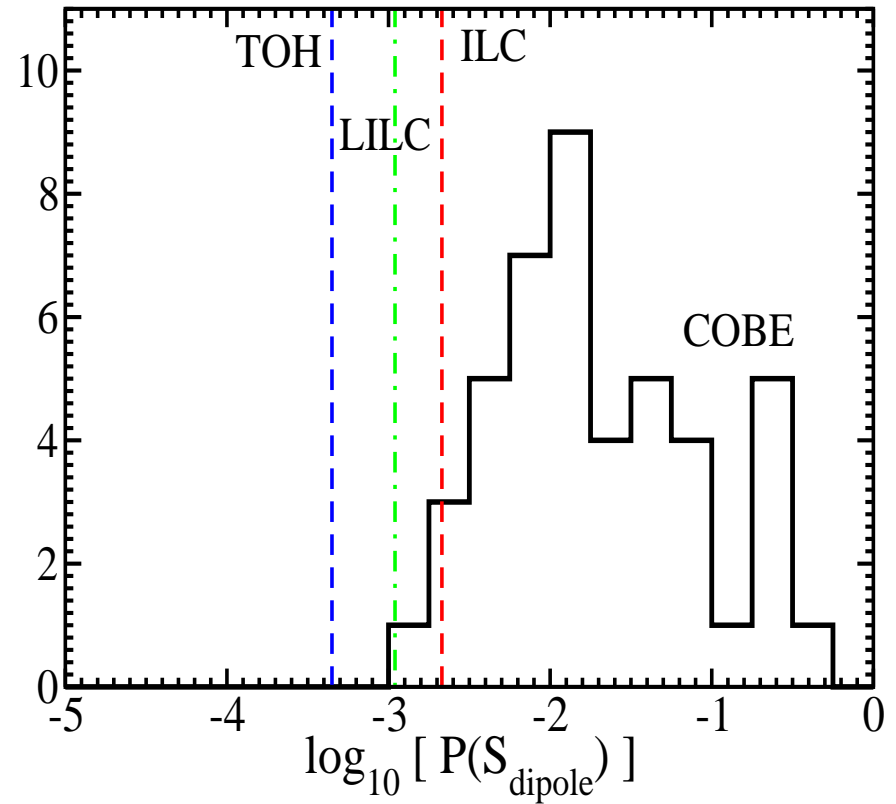
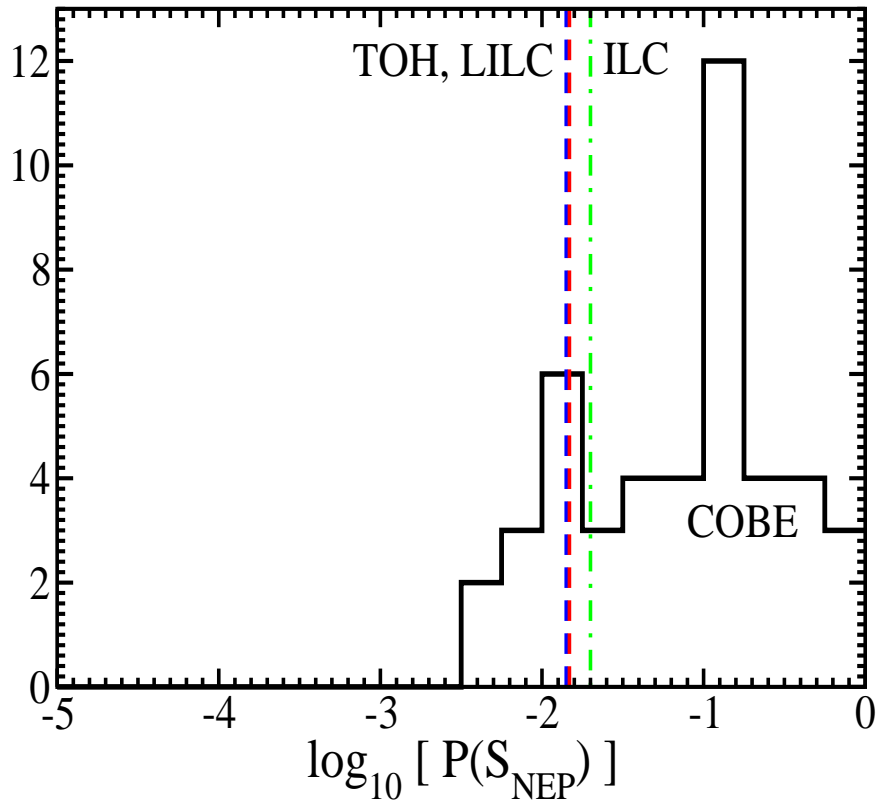
$$T_{\text{tot}}(\theta) = T_{\text{CMB}}(\theta) + c T_{\text{for}}(\theta) \sqrt{\frac{\text{Var}(T_{\text{CMB}})}{\text{Var}(T_{\text{for}})}}$$



# Systematic checks: sky cut



# What about COBE?



Using the COBE MCMC maps from Wandelt, Larson & Lakshminarayanan (2004)

# 4 classes of explanations:

- **Astrophysical** (e.g. an object or other source of radiation in the Solar System)
  - BUT: we think we know the Solar System. It would need to be a large source *and* undetected in data cross-checks.
- **Instrumental** (e.g. there is something wrong with WMAP instrument measuring CMB at large scales)
  - BUT: the instruments have been extremely well calibrated and checked. Plus, why would they pick out the Ecliptic plane?
- **Cosmological** (e.g. some property of the universe – inflation or dark energy for example – that we do not understand)
  - This is the most exciting possibility. BUT: why would the new/unknown physics pick out the Ecliptic plane?
- These alignments are a pure **fluke!**
  - BUT: they are  $<0.1\%$  likely!

# What could be going on?

- Dipole subtraction?
- Scanning strategy?
- Solar system signal?

or perhaps...

- Anisotropic universe?

**Any** of the above would have implications for cosmological parameter determination.



# Additive and multiplicative errors

Let  $T(\hat{\mathbf{n}})$ ,  $A(\hat{\mathbf{n}})$ ,  $B(\hat{\mathbf{n}})$  be temperature fields

$$T(\hat{\mathbf{n}}) \equiv A(\hat{\mathbf{n}}) + f[1 + w(\hat{\mathbf{n}})]B(\hat{\mathbf{n}})$$

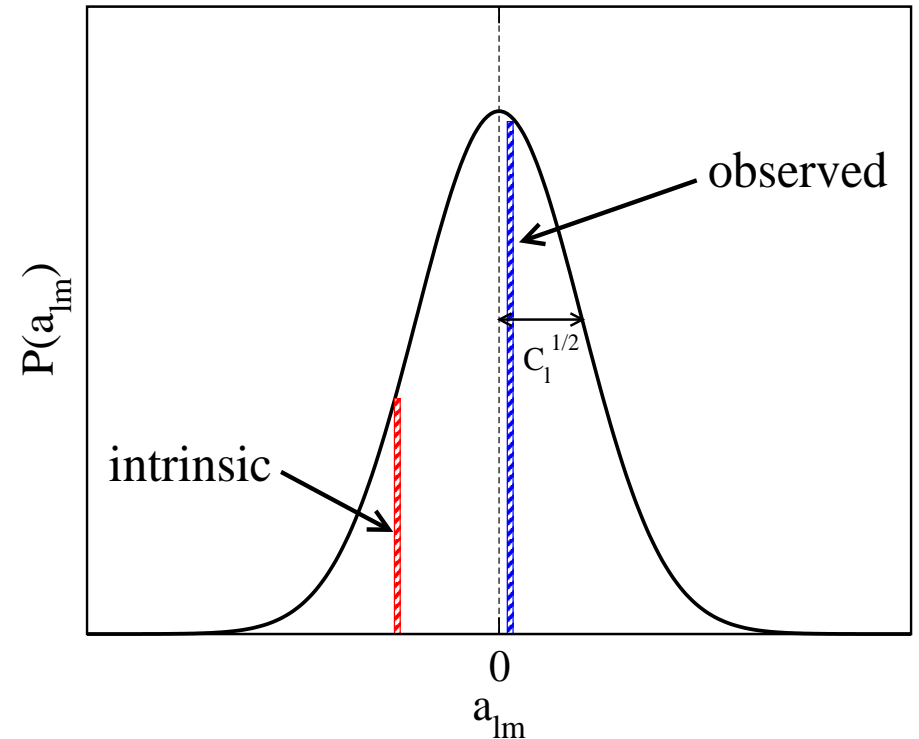
$$\Rightarrow t_{\ell m} = a_{\ell m} + f b_{\ell m} + f \sum_{\ell_1 \ell_2} R_{\ell m}^{\ell_1 \ell_2} b_{\ell_2 m}$$

- $B(\hat{\mathbf{n}}) = 1 \Rightarrow \langle t_{\ell m}^* t_{\ell' m} \rangle = \delta_{\ell \ell'} C_{\ell}^{aa} + f^2 w_{\ell} w_{\ell'} \delta_{m 0}$  (additive)
- $w(\hat{\mathbf{n}})$ ,  $B(\hat{\mathbf{n}})$  depend on  $\hat{\mathbf{n}}$   
 $\Rightarrow$  coupling between  $\ell$ ,  $\ell'$  (multiplicative)

# Additive schemes “don’t work”

Double (likelihood) penalty:

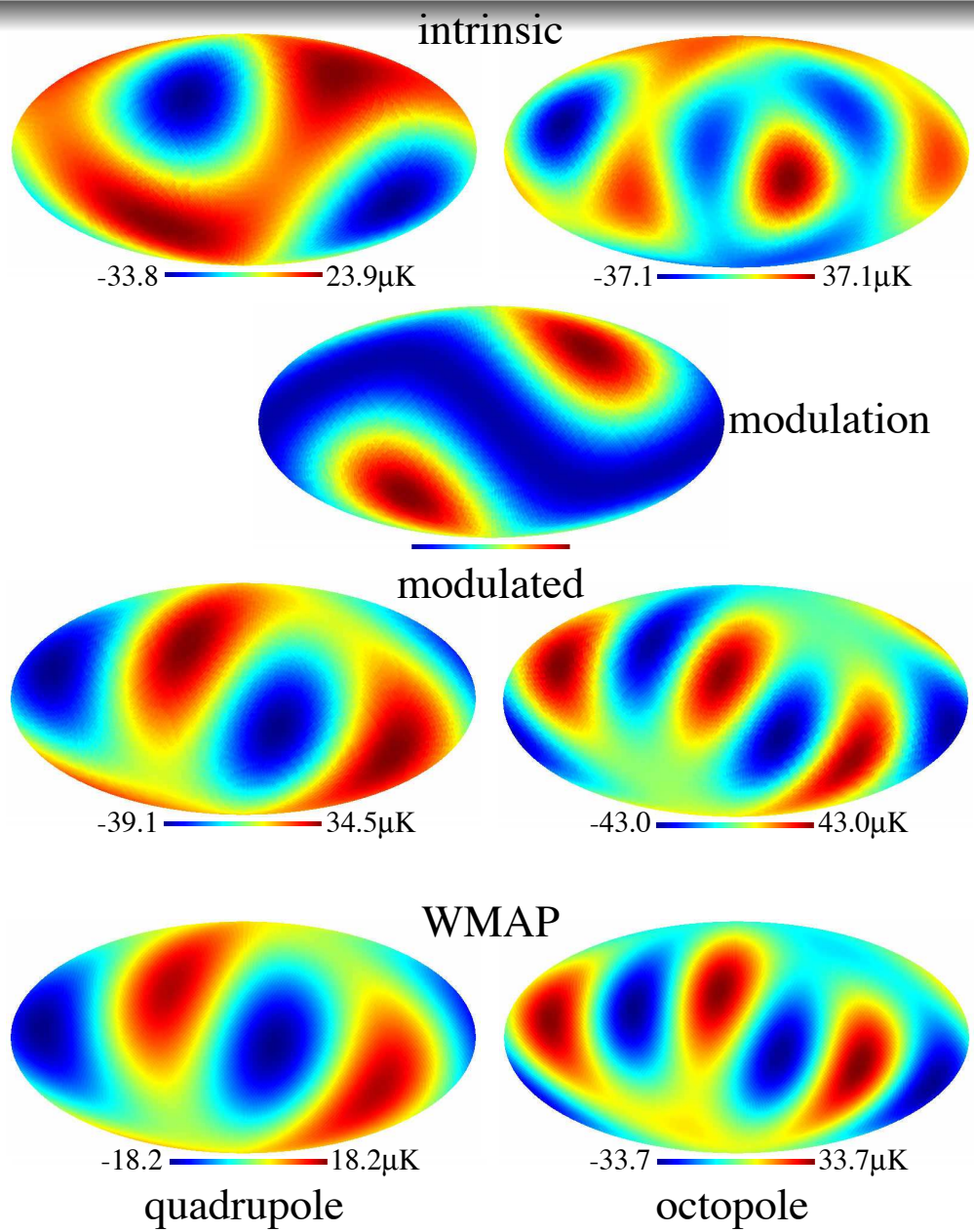
- Intrinsic sky is **less likely** than observed
- Requires a **chance cancellation**



Same true for all additive schemes: Bianchi templates, Solar System contamination, ...

Gordon, Hu, Huterer & Crawford, astro-ph/0509301

# Multiplicative modulation: example



Gordon, Hu,  
Huterer & Crawford,  
astro-ph/0509301

# Conclusions

- We (and others) observe a number of anomalies at large scales in WMAP, including correlations with the Ecliptic.
- Is dark energy or inflation doing something weird? Are there unaccounted-for local contaminants or foregrounds?
- No as-of-yet proposed mechanism works. Multiplicative modulations are promising, additive ones are not.
- Future data:
  - WMAP 2nd year etc temperature maps (but expected to be unchanged)
  - WMAP polarization maps (but expected to be systematics-dominated)
  - Planck